

Viðauki

parameter.f90

```
module parameter
implicit none

!*****
!Stærðir kerfisins skilgreindar
!Ath, hér er orkan I skilgreind sem V
!*****

integer,parameter::Nx=10,Ny=10,lengd=100000,T_lengd=30
real (kind=8)::V=1.0d0,B=0.0d0,beta=1.0d0,T_max=5.0d0

!beta=1/(k_B*T)

!*****
!Hitastigið látið hlaupa frá T=0 í T=T_max í T_lengd skrefum
!*****

contains

subroutine hiti(T,i)

integer::i
real (kind=8)::T,h

h=T_max/T_lengd

T=i*h

beta=1/T

end subroutine hiti

end module parameter
```

ising.f90

```
program ising
use parameter
implicit none

real (kind=8)::E_avg,G_avg,E_var,G_var,C,X,T
real (kind=8)::E_favg,G_favg,X_favg,C_favg,rand

integer::i,k,m,n,l
integer,parameter::rand=1

integer      ,dimension(Nx,Ny) ::S
real (kind=8),dimension(rand)  ::E,G,X_vig,C_vig
real (kind=8),dimension(Nx/2-1)::fall_vig,fall_avg

fall_avg=0

open (unit=11,file='E_avg.txt',status='new')
open (unit=12,file='G_avg.txt',status='new')
open (unit=13,file='C.txt',status='new')
open (unit=14,file='X.txt',status='new')
open (unit=15,file='Spuni+1.txt',status='new')
open (unit=16,file='Spuni0.txt',status='new')
open (unit=17,file='Spuni-1.txt',status='new')
open (unit=18,file='Fylgni.txt',status='new')

rand=1/float(rand)

do i=1,T_lengd

    call hiti(T,i)

!*****
!Forritið er látið hlaupa oft í gegnum Monte Carlo aðferðina til að
!koma í veg fyrir flökt. Að lokum er meðaltal tekið.
!*****

    do k=1,rand

        call undir_ising(S,E_avg,G_avg,E_var,G_var,C,X,fall_vig)
```

```

E(k)=E_avg
G(k)=G_avg
C_vig(k)=C
X_vig(k)=X

fall_avg = fall_avg + andrand * fall_vig

end do

call medaltal(E,E_favg,rand)
call medaltal(G,G_favg,rand)
call medaltal(C_vig,C_favg,rand)
call medaltal(X_vig,X_favg,rand)

write (11,*)T,E_favg
write (12,*)T,G_favg
write (13,*)T,C_favg
write (14,*)T,X_favg

end do

do m=1,Nx

do n=1,Ny

if (S(m,n)==1) then

write (15,*)m,n

else if (S(m,n)==0) then

write (16,*)m,n

else if (S(m,n)==-1) then

write (17,*)m,n

end if

end do

end do

do l=1,Nx/2-1

```

```

        write (18,*),1,fall_avg(1)

    end do

    close (11)
    close (12)
    close (13)
    close (14)
    close (15)
    close (16)
    close (17)
    close (18)

end program ising

```

undir_ising.f90

```

subroutine undir_ising(S,E_avg,G_avg,E_var,G_var,C,X,sum_vig)
use parameter
implicit none

real (kind=8)::G,E,z,r,E_flipp,E_avg,G_avg
real (kind=8)::E_var,G_var,C,X,fall,andlengd
integer      ::m,n,i,k,s_old,s_new

real (kind=8),dimension(lengd)  ::E_vig,G_vig
real (kind=8),dimension(Nx/2-1) ::fall_vig,sum_vig
integer      ,dimension(Nx,Ny)  ::S
integer      ,dimension(Nx+2,Ny+2)::A

sum_vig=0

andlengd=1/float(lengd)

!call fylki(S)           !Ef byrjunarfylkið S er tilviljunarkennt

S=1                      !Ef byrjunarfylkið S hefur alla spuna 1

```

```

call afylki(S,A)

call random_seed

!*****
!Monte Carlo aðferðin
!*****

do i=1,lengd

    call random_number(z)

    call flipp(S,s_old,s_new,m,n,r)

    call hlutfall(S,A,E_flipp,s_new,m,n,r)

    do k=1,Nx/2-1

        call fylgni(S,k,fall)

        fall_vig(k) = fall

    end do

    sum_vig = sum_vig + andlengd * fall_vig

    if (E_flipp<=0) then

        S(m,n)=s_new

        call afylki(S,A)

    else if (z<=r) then

        S(m,n)=s_new

        call afylki(S,A)

    end if

```

```

    call hamiltonian(S,A,E)

    E_vig(i)=E

    call magni(S,G)

    G_vig(i)=G

end do

call medaltal(E_vig,E_avg,lengd)
call medaltal(G_vig,G_avg,lengd)

call stadalfravik(E_vig,E_var)
call stadalfravik(G_vig,G_var)

C=E_var*beta**2

X=G_var*beta

!*****
!Orkunni E_avg ásamt eðlisvarma C er deilt með stærð kerfisins
!*****

E_avg=E_avg/float(Nx*Ny)

C=C/float(Nx*Ny)

end subroutine undir_ising

```

fylki.f90

```
subroutine fylki(S)
```

```

use parameter

real (kind=8),dimension(Nx,Ny)::D
integer      ,dimension(Nx,Ny)::S

!*****
!Fylki S búið til með tilviljunarkenndri uppröðun spuna
!*****

call random_seed

call random_number(D)

S=D*3
S=S-1

end subroutine fylki

```

afylki.f90

```

subroutine afylki(S,A)
use parameter
implicit none

integer,dimension(Nx,Ny)  ::S
integer,dimension(Nx+2,Ny+2)::A

integer::j,k

!*****
!Fylki A búið til út frá fylki S vegna lotubundinna jaðarskilyrða
!*****

A=0

A(2:Nx+1,2:Ny+1) = S
A(2:Nx+1,1)      = S(1:Nx,Ny)
A(2:Nx+1,Ny+2)   = S(1:Nx,1)
A(1,2:Ny+1)      = S(Nx,1:Ny)

```

```
A(Nx+2,2:Ny+1) = S(1,1:Ny)
```

```
end subroutine afylki
```

flipp.f90

```
subroutine flipp(S,s_old,s_new,m,n,r)
use parameter
implicit none
```

```
real (kind=8)::r,i_rand,j_rand,a_rand
```

```
integer,dimension(Nx,Ny)::S
```

```
integer::i,j,m,n,s_old,s_new
```

```
!*****
!Hér er valið sæti (m,n) í spunafylkinu S sem á að snúa, "flippa"
!*****
```

```
call random_number(i_rand)
```

```
call random_number(j_rand)
```

```
i=i_rand*Nx
```

```
m=i+1
```

```
j=j_rand*Ny
```

```
n=j+1
```

```
s_old=S(m,n)
```

```
!*****
!Hér er spunaflutningur leyfður frá S=1 í S=0, S=-1 í S=0 og S=0 í
```



```

!S=-1,1. Einnig er hægt að leyfa S=1 í S=-1 og öfugt en það er
!"commentað" út hér
!*****

call random_number(a_rand)

if (S(m,n)==1) then

!   if (a_rand<0.5d0) then

        s_new=0

!   else

!       s_new=-1

!   end if

else if (S(m,n)==-1) then

!   if (a_rand<0.5d0) then

!       s_new=1

!   else

        s_new=0

!   end if

else if (S(m,n)==0) then

    if (a_rand<0.5d0) then

        s_new=-1

    else

        s_new=1

    end if

```

```
end if
```

```
end subroutine flipp
```

hlutfall.f90

```
subroutine hlutfall(S,A,E_flipp,s_new,m,n,r)
```

```
use parameter
```

```
implicit none
```

```
real (kind=8)::r,E_flipp,E_0,E_t
```

```
integer::s_new,m,n
```

```
integer,dimension(Nx,Ny) ::S,S_t
```

```
integer,dimension(Nx+2,Ny+2)::A,A_t
```

```
!*****  
!Hér er r=exp(-beta*E_flipp) reiknað. Hér stendur X_t fyrir stærðir  
!þar sem spuna hefur verið snúið en X fyrir óbreyttan spuna  
!*****
```

```
E_0=0d0
```

```
E_t=0d0
```

```
S_t=S
```

```
S_t(m,n)=s_new
```

```
call afylki(S_t,A_t)
```

```
call Hamiltonian(S,A,E_0)
```

```
call Hamiltonian(S_t,A_t,E_t)
```

```
E_flipp=E_t-E_0
```

```
r=exp(-beta*E_flipp)
```

```
end subroutine hlutfall
```

hamiltonian.f90

```
subroutine hamiltonian(S,A,E)
```

```
use parameter
```

```
implicit none
```

```
real (kind=8)::sum1,sum2,E
```

```
integer,dimension(Nx,Ny) ::S
```

```
integer,dimension(Nx+2,Ny+2)::A
```

```
integer::i,j
```

```
E=0
```

```
sum1=0
```

```
sum2=0
```

```
do i=2,Nx+1
```

```
do j=2,Ny+1
```

```
sum1=sum1 + A(i,j)*(A(i-1,j) + A(i+1,j) + A(i,j-1) + A(i,j+1))
```

```
end do
```

```
end do
```

```
sum2=sum(float(S))
```

```
E=-0.5*V*sum1-B*sum2
```

```
end subroutine hamiltonian
```

magni.f90

```
subroutine magni(S,G)
```

```
use parameter
```

```
implicit none
```

```
!*****
```

```
!Ath, hér er seGlunin M skilgreind sem G
```

```
!*****
```

```
real (kind=8)::G,summa
```

```
integer,dimension(Nx,Ny)::S
```

```
integer::i,j
```

```
summa=0.d0
```

```
if (V>0) then
```

```
    G=SUM(float(S))/float(SIZE(S))
```

```
else if (V<0) then
```

```
    do i=1,Nx
```

```
        do j=1,Ny
```

```
            summa=summa + (-1)**(i+j)*S(i,j)
```

```
        end do
    end do
    G=summa
end if

end subroutine magni
```

fylgni.f90

```
subroutine fylgni(S,l,sum1)
use parameter
implicit none

real (kind=8)::sum1

integer,dimension(Nx,Ny)::S

integer::l,m,n,m1,m2,n1,n2

sum1=0

do m=1,Nx
    do n=1,Ny
        m1=m-1
        m2=m+1
        n1=n-1
        n2=n+1

        if (m1<=0) then
            m1=m1+Nx
```

```
else if (m2>Nx) then
    m2=m2-Nx
end if

if (n1<=0) then
    n1=n1+Ny
else if (n2>Ny) then
    n2=n2-Ny
end if

sum1=sum1+S(m,n)*(S(m1,n) + S(m2,n) + S(m,n1) + S(m,n2))

end do

end do

sum1=sum1/(4*float(Nx*Ny))

end subroutine fylgni
```

Heimildir

- [1] Sigurður Ingi Erlingsson, *Ising Model*, fyrirlestrarglósur úr Tölvueðlisfræði haust 2006. Slóðin er <http://rashba.raunvis.hi.is/~sie/Kennsla/isingIntro.pdf>
- [2] Giordano, N. J., Nakanishi, H., *Computational Physics*, Pearson Education, Inc., United States of America, 2006.