

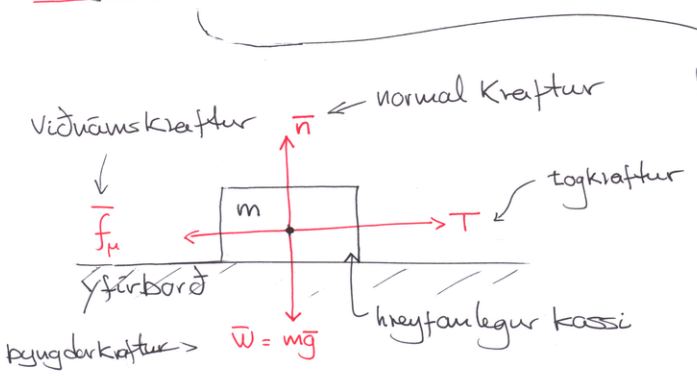
Viðnámskraftar - náningskraftar

Mjög flöknir ↔ rafkraftar.....

Mjög mikilvægir ↔ alls staðar í náttúrunni

↳ Tækni ← hámarka...
Lágmarka

Einfalt líkan



$$\vec{f}_\mu \cdot \vec{n} = 0$$

horntættir

$$f = \mu n$$

μ_s : viðnámsstöðull

μ_k : hreyfi viðnámsstöðull

Quantum friction and fluctuation theorems

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We use general concepts of statistical mechanics to compute the quantum frictional force on an atom moving at constant velocity above a planar surface. We derive the zero-temperature frictional force using a nonequilibrium fluctuation-dissipation relation, and we show that in the large-time, steady-state regime, quantum friction scales as the cubic power of the atom's velocity. We also discuss how approaches based on Wigner-Weisskopf and quantum regression approximations fail to predict the correct steady-state zero-temperature frictional force, mainly due to the low-frequency nature of quantum friction.

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Theory of quantum friction

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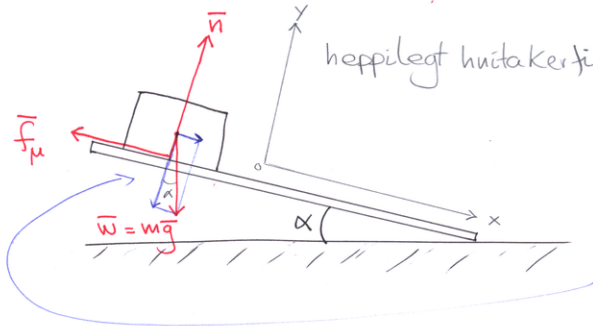
Abstract

Here, we develop a comprehensive quantum theory for the phenomenon of quantum friction. Based on a theory of macroscopic quantum electrodynamics for unstable systems, we calculate the quantum expectation of the friction force at zero temperature, and link the friction effect to the emergence of system instabilities related to the Cherenkov effect. These instabilities may occur due to the hybridization of particular guided modes supported by the individual moving bodies, and selection rules for the interacting modes are derived. It is proven that the quantum friction effect can take place even when the interacting bodies are lossless and made of nondispersive dielectrics.

Erftitt og spennandi
viðfangsefni
ekki gamaldægs
eðlisfræði

Dæmi

Kassi kyrr á skábretti, fyrir hvaða horn fer hann af stað?



heppilegt hnitakerfi

valið með ás samhlíða
 hreyfingu og öðrum þvert
 á hana, samsíða
 normalkrafti

Þyngdarkrafturinn getur
 haft þátt samsíða báðum
 ásum

I y-stefnu

$$n - mg \cos \alpha = 0$$

I x-stefnu

(4)

$$mg \sin \alpha - f_{\mu} = 0$$

Þá

$$\left. \begin{array}{l} n = mg \cos \alpha \\ f_{\mu} = mg \sin \alpha \end{array} \right\} \rightarrow \frac{f_{\mu}}{n} = \frac{\sin \alpha}{\cos \alpha} = \tan \alpha$$

Einfaller líkandi var $f_{\mu} = \mu_s n \rightarrow \mu_s = \tan \alpha$

$$\underline{\alpha = \arctan(\mu_s)}$$

Úr töflu 5.1 í bók:

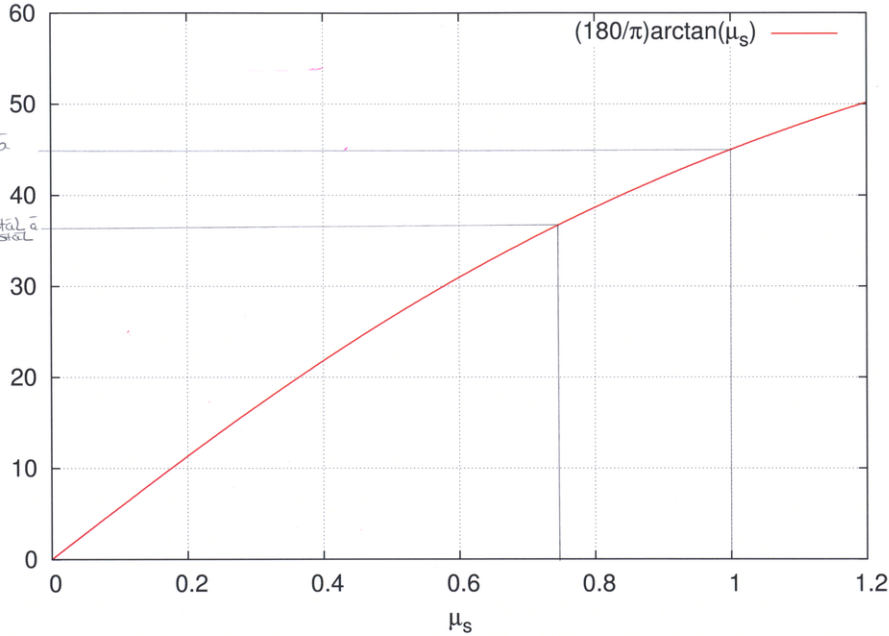
stál á stál $\mu_s = 0,74$

teflon á stál $\mu_s = 0,04$

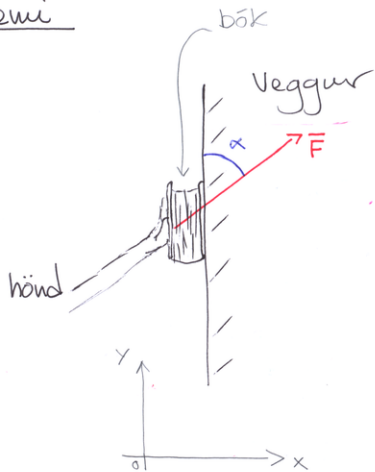
gámmi á Steypu $\mu_s = 1,0$ þurr

gümmi a
stepu

α [degrees]
stäl a
stäl



Demi

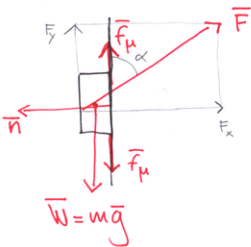


bókinni er haldið kyrrri við vegg

6

a)

Kræftar



niðingskræftur
á móti hreyfingu
upp eða niður

b) minnsti kræftur til
að halda bók kyrrri?

α : gefið, svipað og
á mynd

→ { móti hreyfingu niður
mikill kræftur for hana
til að skrida upp vegginn
tilraunir

Engin x-færsla $\rightarrow n = F_x$ lengdir

y-stefna:

$$F_y - mg + f_\mu = 0$$

$$F_y - mg = -f_\mu = -n\mu_s = -F_x \mu_s$$

viðnámskraftur
móti hreytingu
niður

$$F \cos \alpha - mg = -F \sin \alpha \cdot \mu_s$$

$$\rightarrow F \{ \cos \alpha + \mu_s \sin \alpha \} = mg$$

$$\rightarrow F = \frac{mg}{\cos \alpha + \mu_s \sin \alpha} \quad \text{lengd } F$$

c) Fyrir hvaða horn α er F minnst í þessari uppsetningu?

$$F(\alpha) = \frac{mg}{\cos \alpha + \mu_s \sin \alpha}$$

fünfte Lagrangek $F(x)$, ~~pad~~ er ~~begar~~

(8)

$$\frac{dF(x)}{dx} = 0$$

$$\rightarrow - \frac{\{-\sin x + \mu_s \cos x\}}{\{\cos x + \mu_s \sin x\}^2} = 0$$

$$\rightarrow \sin x = \mu_s \cos x \rightarrow \frac{\sin x}{\cos x} = \mu_s$$

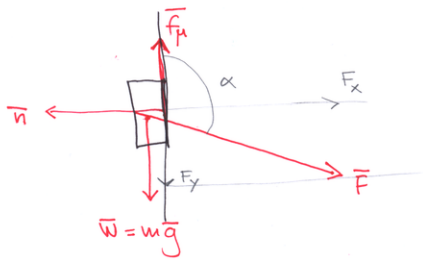
$$\rightarrow \tan(x) = \mu_s$$

$$\rightarrow x = \arctan(\mu_s)$$

d) Ef $\alpha > 90^\circ$ verður að ýta mjög fast til þess að bökin haldfest kyrr

(9)

Fyrir hvaða horn $\alpha > 90^\circ$ er ekki hægt að halda lengur?



Enn heldur sama jafna

$$F = \frac{mg}{\cos\alpha + \mu_s \sin\alpha}$$

en nú þarf að muna að fyrir $\alpha > 90^\circ$ (og $\alpha < 180^\circ$)

er $\cos\alpha < 0$, en $\sin\alpha > 0$

F er lengd kraftsins. þarftum þú nállítilna \bar{i}

vefnáttur $\cos\alpha + \mu_s \sin\alpha = 0$ f. $90^\circ < \alpha < 180^\circ$

Skilgreinum $\alpha = 90^\circ + \beta$ og finnum β

$$\alpha = \frac{\pi}{2} + \beta$$

$$\cos \alpha = \cos\left(\frac{\pi}{2} + \beta\right) = -\sin \beta$$

$$\sin \alpha = \sin\left(\frac{\pi}{2} + \beta\right) = \cos \beta$$

$$\rightarrow \cos \alpha + \mu_s \sin \alpha = -\sin \beta + \mu_s \cos \beta = 0$$

$$\rightarrow \frac{\sin \beta}{\cos \beta} = \mu_s \quad \rightarrow \beta = \arctan(\mu_s)$$

fyrir einu stærri horn er ekki hægt að hafa
þökinni lengur

Reynid þessar niðurstöður
í tilvænum

Fall hlutar í föstu þyngdarsvæði í efni

T.d. fall hlutar í lofti..... vökvaaflltræði.....

Einfölduð líkön

① Vid lágan hraða

$$f = kv$$

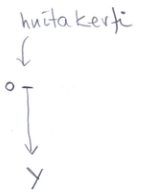
② háan hraða

$$f = Dv^2$$

í seftu hlutfalli við v
k og D eru fastar sem
ákvörðu má í tilraun eða
flöknari líkönum

Reynum líkan ①

Kraftvogi



$$mg - kv_y = ma_y$$

↑
↑
hreyki-jafna

$$ma_y = mg - kv_y$$

$$m\ddot{y} = mg - kv_y$$

Hreyfingun gefur til kynna að hraðun stöðvast þegar hraðinn vex \rightarrow hraðinn stefur á markgildi markhraði.

$$0 = mg - kv_t \rightarrow v_t = \frac{mg}{k}$$

Athugið hvernig hraðinn þróast með tíma

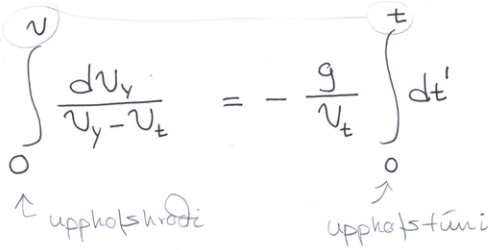
$$m\ddot{y} = mg - kv_y \rightarrow \dot{y} = g - \frac{k v_y}{m} = g - g \frac{v_y}{v_t}$$

$$\frac{dv_y}{dt} = \frac{g}{v_t} [v_t - v_y] \rightarrow \frac{dv_y}{v_t - v_y} = \frac{g}{v_t} dt$$

Það

$$\frac{dv_y}{v_y - v_t} = - \frac{g}{v_t} dt$$

sem hefur er að leiðda
beint, þú ert höfundur
sinnangard t og v_y
satt hvortu megin



við viljum finna v við t.

$$\ln \{v_y - v_t\} \Big|_0^v = - \frac{g}{v_t} (t-0)$$

$$\ln \left\{ \frac{v - v_t}{-v_t} \right\} = - \frac{g}{v_t} t$$

$$1 - \frac{v}{v_t} = \exp\left\{-\frac{gt}{v_t}\right\}$$

$$\rightarrow v = v_t \left[1 - \exp\left(-\frac{gt}{v_t}\right) \right]$$

$$\lim_{t \rightarrow \infty} v(t) = v_t$$

↑
possibler
hver for p.
t → +∞

← ens og sæt der

Og likan ②

$$f = Dv^2$$

$$m\dot{v}_y = mg - Dv_y^2 \rightarrow \dot{v}_y = g \left[1 - \frac{v_y^2}{v_t^2} \right] = \frac{g}{v_t^2} \left[v_t^2 - v_y^2 \right]$$

for sem nuna fast $v_t = \sqrt{\frac{mg}{D}}$

puī purtūm vid ~~o~~ hēlda

$$\int_0^v \frac{dv_y}{v_y^2 - v_t^2} = - \frac{g}{v_t^2} \int_0^t dt'$$

$$\rightarrow \frac{1}{2v_t} \ln \left\{ \frac{v_t - v}{v + v_t} \right\} = - \frac{g}{v_t^2} t$$

$$\rightarrow \frac{v_t - v}{v + v_t} = \exp \left\{ - \frac{2gt}{v_t} \right\}$$

$$\rightarrow v = v_t \left\{ \frac{e^{+\frac{gt}{v_t}} - e^{-\frac{gt}{v_t}}}{e^{+\frac{gt}{v_t}} + e^{-\frac{gt}{v_t}}} \right\} = v_t \tanh \left(\frac{gt}{v_t} \right)$$

Þerum saman á grafi þö v_t hafi ekki sömu
merkingu. Athugið stömun til þess að fá
viðarláusar stöndir fyrir grafið.

Lærdómur

Þæti líkön leða til markhraða

① $v_t = \frac{mg}{R}$

② $v_t = \sqrt{\frac{mg'}{D}}$

markhraðinn er háður m !!

↳ An loftwætstöðu
er fallhraðinn
öháður m

